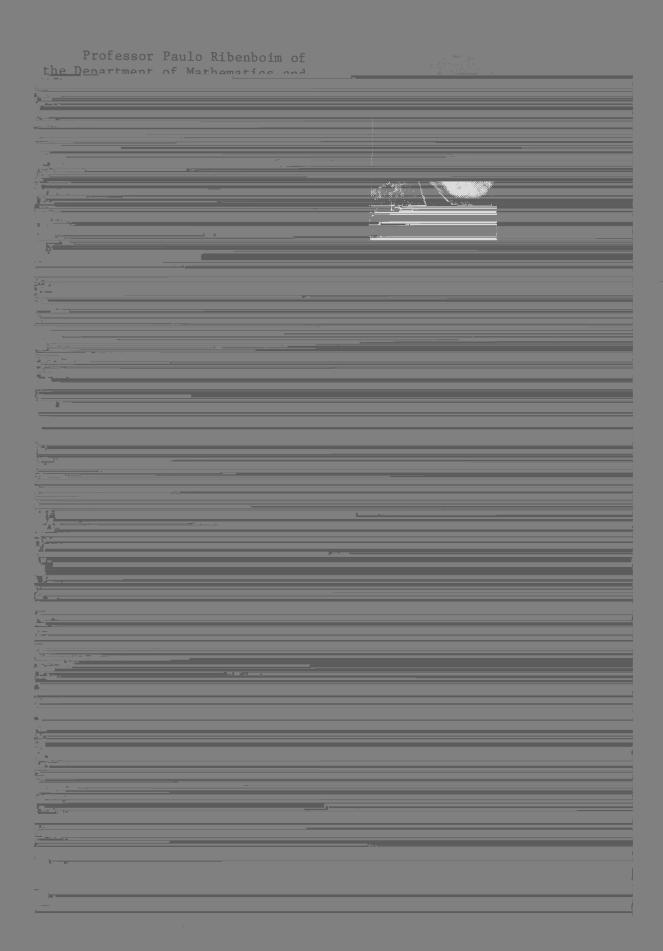


QUEEN'S PUTNAM TEAM
Page 8

June 1984

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 $z = a^2 + b^2$  is a solution and all solutions are of this form.

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Now I come to Pierre de Fermat (1601-1665), Conseiller à la Cour de

Later Fermat proposed as a problem his assertion about cubes and biquadrates. This problem (for <u>all</u> n>4) is still open after 347 years. Fermat wrote a proof for biquadrates, but did not write a proof for cubes and

never again mentioned the statement for n>4. This assertion of his has been called "Fermat's Last Theorem" since all the assertions of Fermat (except the one on Fermat numbers) have been settled. This is the last one.

# (2) Sizin u the difficult involved

Suppose we are given the exponent n>2. First, I point out that we cannot write up all the nth powers of integers and add them up two by two and see whether we get an nth power. That is a never-ending procedure, which also has to be repeated for all other n. So we must proceed by contradiction. Assume there are hypothetical numbers x, y, z>0 for which  $x^n+y^n=z^n$ . From this hypothesis, derive by purely logical considerations some consequences which may be shown to be absurd — by contradicting some known fact. Sometimes we can derive consequences which



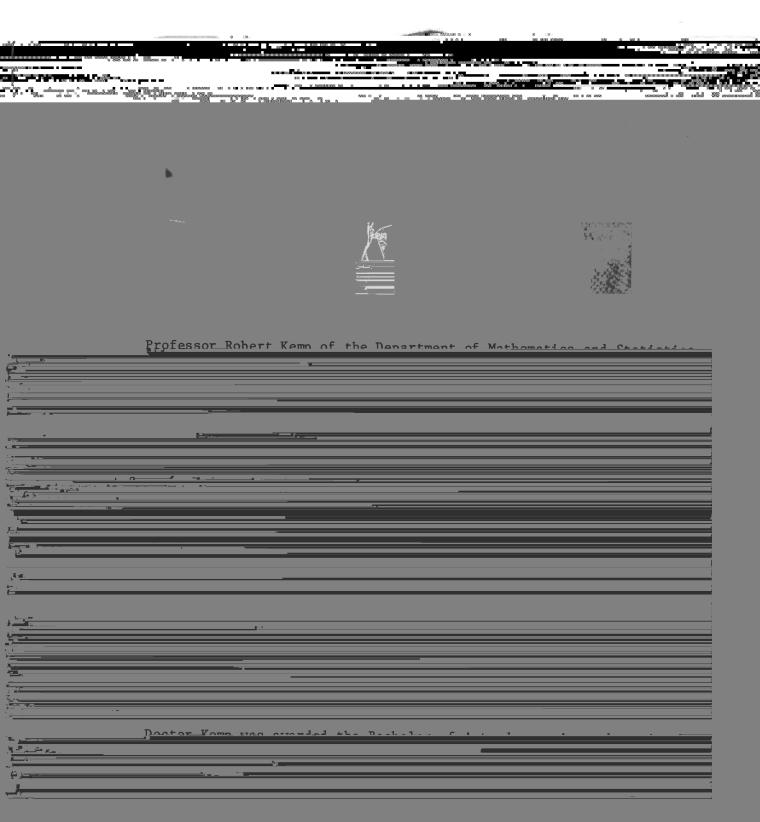
calibre, Sophie Germain (early 1800's), alias Monsieur le Blanc. She maintained correspondence with Gauss and Legendre, but, because she was a
rings sould not publish how would at the Anderson Toronton
"Sophie Germain, with a very ingenious new method, proved in a 'trait de
By way of explanation, Fermat's Last Theorem for all exponents p<100.  By way of explanation, Fermat's Last Theorem had come to be divided into

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(b) With other criteria using Bernoulli numbers (from probability theory), Vandiver found a criterion which could be tested by computer. After a year of calculation on a monster IBM, Wagstaff obtained the result that Fermat's Last Theorem holds for all  $\,p\mbox{<}125000\,$  .



# Robert Richard Dingle Kemp (1932 - 1984)



### Adelaide hall - Symbols in Stone

How many have cast their eyes up when entering or passing by Adelaide Hall and seen the inscription At the time Adelaide Hall was begun (1951) the Dean of Women at Queen's was Dr. A. Vibert Douglas, now Emeritus Professor in the Department of Mathematics and Statistics. Let me quote from an article Written hv Dr. Douglacia 1061 ----

'When plans for the extension to Ban Righ Hall were nearing completion it became apparent from the architect's drawings that five large rectangular and five smaller square stones were to be carved and placed above the first and second bay windows immediately over the arch of the entrance at the corner of University and Stuart Streets. Instead of conventional grants

### Two New Positions for the Department

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	with respect to hiring new faculty. This is part of the university's larger
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	decision to maintain enrolment at a fixed level of about 11,000 students.
	The Department of Mathematics and Statistics has experienced some decline in
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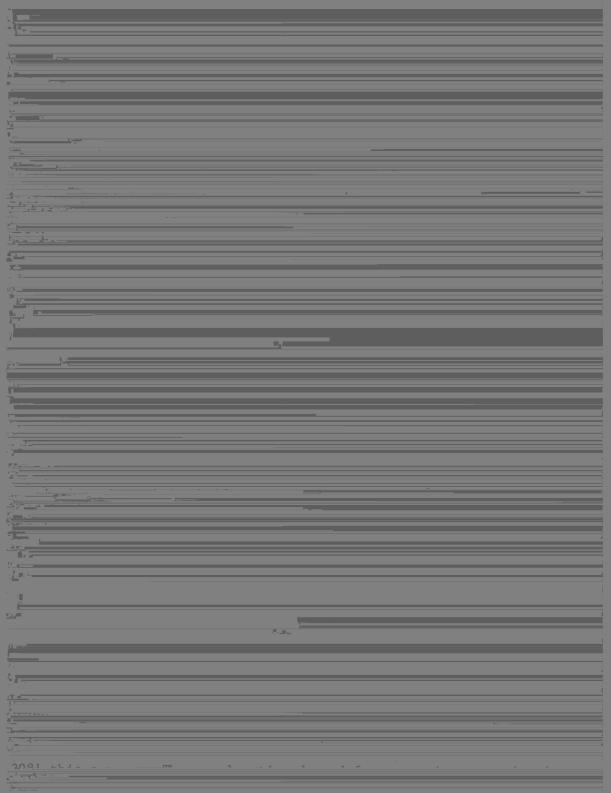
### News

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Lcc	s there from April 8 - 14, gave 2 lectures on the area of	nis resear
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# - 13 -The Kakeya-Besicovitch Needle Problem. The problem concerns subsets S of the plane in which a needle of unit length can be rotated through $180^{\circ}$ . For example S could be taken to be a sunt franchista problem is to find such a set S with minimum area. A rather interesting example of an C is what is salled the

## Microcomputers for Queen's Engineering

The computing facilities at Queen's have been evolving for over 20 years. In 1961, Queen's first "mainframe" computer -- an IBM 1620 -- was installed in Ellis Hall. This computer has since been replaced by several and by several an



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In response to what is known as "the squeeze" Queen's, along with all other Ontario Universities has been cutting back its budget in nearly

Name and Address Correction (if any)

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